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# B.TECH. DEGREE EXAMINATION, MAY 2014

### Seventh Semester

Branch: Applied Electronics and Instrumentation Engineering / Electronics and Instrumentation / Electronics and Communication Engineering

AI 010 706 L03 / EC 010 706 L01 / EI 010 706 L01—OPTIMIZATION TECHNIQUES (AI, EC, EI)

(2010 Admissions)

[Improvement/Supplementary]

Time: Three Hours

Maximum: 100 Marks

## Part A

Answer all questions.
Each question carries 3 marks.

- 1. Explain different one dimensional minimization methods.
- 2. Mention certain areas where requirement of linear programming lanes.
- 3. What is the slope of post optimality analysis.
- 4. Define forecasting models.
- 5. Explain briefly single server models.

 $(5 \times 3 = 15 \text{ marks})$ 

#### Part B

Answer all questions.

Each question carries 5 marks.

- 6. Find the maxima and minima, if any, if the function  $f(x) = 4x^3 18x^2 + 27x 7$ .
- 7. Solve the following LP problem graphically

$$Minimize f = -3x_1 + 2x_2$$

subject to 
$$0 \le x_1 \le 4$$

$$1 \le x_2 \le 6$$

$$x_1 + x_2 \le 5$$



8. Six jobs are to be processed on two machines A and B. Time in hours taken by each job on each machine is given below:

	JOBS						
STOWN E PARCE . T.	1	2	3	4	5	6	
Machine A	5	3	2	10	12	6	
Machine B	3	2	5	11	10	7	

Determine the optimum sequence of jobs that minimizes the total elapsed time to complete the jobs. Compute the minimum time.

9. Solve the following pay-off matrix for optimal strategies and the value of the game :

$$\begin{bmatrix} & Y \\ X \begin{bmatrix} 5 & 1 \\ 3 & 4 \end{bmatrix}.$$

10. Explain the various states in queueing system.

 $(5 \times 5 = 25 \text{ marks})$ 

## Part C

Answer all questions.
Each question carries 12 marks.

11. (a) Minimize  $f = 2x_1^2 + x_2^2$  by using the steepest descent method starting from (1, 2).

Or

- (b) Find the minimum of f = x(x-1.5) by starting from 0.0 with an initial step size of 0.05.
- 12. (a) Solve the following LP problem graphically:

Maximize 
$$f = x_1 + x_2$$

subject to 
$$-x_1 + x_2 \le 2$$

$$2x_1+x_2\leq 4$$

$$x_1,x_2\geq 0.$$

(b) Use dual simplex method to solve the LPP.

Minimize 
$$Z = -3x_1 - 2x_2$$

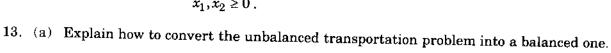
subject to 
$$x_1 - x_2 \ge 2$$

$$x_1 + x_2 \le 14$$

$$x_1+2\geq 20$$

$$x_2 \le 6$$

$$x_1,x_2\geq 0\;.$$



Or

(b) Using VAM solve the following problem:

	$W_1$	$W_2$	$\mathbf{W}_3$	$W_4$	$\mathbf{W}_5$	Available
$\mathbf{F}_1$	3	4	6	8	9	
$\mathbf{F_2}$	2	10	1	5	8	
$\mathbf{F_3}$	7	11	20	40	3	
$\mathbf{F_4}$	2	1	9	14	16	
Required	40	6	8	18	6	

14. (a) Solve the following game problem using the principle of dominance:

$$\begin{array}{ccc} & & Player \ Y \\ Player \ X \begin{bmatrix} 1 & 7 & 2 \\ 6 & 2 & 7 \\ 5 & 1 & 6 \end{bmatrix}. \end{array}$$

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(b) Solve graphically:

$$\begin{array}{c|c} & Player \ Y \\ Player \ X \begin{bmatrix} 1 & 3 & 11 \\ 8 & 5 & 2 \end{bmatrix}$$



15. (a) Explain the elements of a queuing model.

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(b) A barber shop has two barbers and 3 chairs for customers. The customers are assumed to arrive in Poisson fashion at a rate of 5 per hour. Each barber services according to an exponential distribution with a mean 15 minutes. Further if a customer arrives and there are no empty chairs in the shop, he will leave. Compute the expected number of customers in the shop.

 $(5 \times 12 = 60 \text{ marks})$