

| 5 |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 1 | 0001 | 1,9 | -001 |  |  |
|  |  | 4 | 0100 | 4,6 | 01-0 |  |  |
|  |  | 8 | 1000 | 8,9 | 100- |  |  |
|  |  |  |  | 8,10 | 10-0 |  |  |
|  |  | 6 | 0110 |  |  |  |  |
|  |  | 9 | 1001 | 6,7 | 011- | 8,9,10,11 | 10-- |
|  |  | 10 | 1010 | 9,11 | 10-1 | 8,9,10,11 | 10-- |
|  |  |  |  | 10,11 | 101- |  |  |
|  |  |  |  |  |  |  |  |
|  |  | 7 | 0111 |  |  |  |  |
|  |  | 11 | 1011 | 7,15 | -111 |  |  |
|  |  |  |  | 11.15 | 1-11 |  |  |
|  |  | 15 | 1111 |  |  |  |  |
|  |  |  |  |  |  |  |  |

Prime implicants: $B^{\prime} C^{\prime} D, A^{\prime} B D^{\prime}, A$ ' $B C, B C D, A C D, A B$ '

|  | 1 | 4 | 6 | 7 | 8 | 9 | 10 | 11 | 15 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $A B^{\prime}$ |  |  | $\bar{A}$ |  | $X$ | $X$ | $X$ | $X$ |  |
| $B^{\prime} C^{\prime} D$ | $X$ |  |  |  |  | $A L$ | $X$ |  |  |
| $A^{\prime} B D^{\prime}$ |  | $X$ | $X$ |  |  |  |  |  |  |
| $A^{\prime} B C$ |  |  | $X$ | $X$ |  |  |  |  |  |
| $B C D$ |  |  |  | $X$ |  |  |  |  | $X$ |
| $A C D$ |  |  |  |  |  |  |  | $X$ | $X$ |
|  | $\sqrt{ }$ | $\sqrt{ }$ | $\sqrt{ }$ |  | $\sqrt{2}$ | $\sqrt{ }$ | $\sqrt{ }$ | $\sqrt{ }$ |  |

Essential Prime Implicants: $\mathrm{BCD}, \mathrm{A}^{\prime} \mathrm{BD}^{\prime}, \mathrm{B}^{\prime} \mathrm{C}^{\prime} \mathrm{D}, \mathrm{AB}$
Minimized Boolean expression: $\mathrm{BCD}+\mathrm{A}^{\prime} \mathrm{BD}^{\prime}+\mathrm{B}^{\prime} \mathrm{C}^{\prime} \mathrm{D}+\mathrm{AB}{ }^{\prime}$

| 6 | a) | Subtract (9F2C) $\mathbf{1 6}_{6}$ from (A96B) $)_{16}$ using 15's and 16's complement (Each method- 2 marks.) <br> Answer :A3F <br> 15 's complement of 9 F 2 C is $=60 \mathrm{D} 3$ <br> $A 96 B+60 D 3=10 A 3 E \quad 0 A 3 E+1=0 A 3 F$ or $A 3 F$ <br> 16 's complement of 9 F 2 C is $=60 \mathrm{D} 4$ <br> $\mathrm{A} 96 \mathrm{~B}+60 \mathrm{D} 4=10 \mathrm{~A} 3 \mathrm{~F} \quad$ Answer is 0 A 3 F or A3F | thod |  |  | (4) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | b) | Subtract 366 from 170 in BCD using 10's complement addition. <br> (BCD using 10's complement addition) <br> 10's complement of $366=634$ <br> Adding in BCD <br> Since there is no carry the result is negative and is the complement of 000110010110 , that is -196 . | $1000$ | $0000$ | 0100, ie. - | (3) |


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| :---: | :---: | :---: | :---: |
|  | c) | ```Perform (417) \({ }_{8}\) - (232) \({ }_{8}\) using 8 's complement addition. (8's complement addition) 8's complement of \(\mathbf{2 3 2}\) 7's complement \(=777\)-232 \(=\mathbf{5 4 5}\) 8 's complement \(=\mathbf{5 4 5}+\mathbf{1}=546\) \((417)_{8}-(232)_{8}=417+546=1165\)``` | (2) |
| 7 | a) | Using K-map simplify the Boolean function F as Sum of Products using the don't care conditions d. <br> $\mathbf{F}(\mathbf{w}, \mathbf{x}, \mathbf{y}, \mathbf{z})=\mathbf{w}^{\prime}\left(\mathbf{x}^{\prime} \mathbf{y}^{\mathbf{y}}+\mathbf{x}^{\prime} \mathbf{y}^{\prime}+\mathbf{x y z}\right)+\mathbf{x}^{\prime} \mathbf{z}^{\prime}(\mathbf{y}+\mathbf{w}) \mathbf{d}(\mathbf{w}, \mathbf{x}, \mathbf{y}, \mathbf{z})=\mathbf{w}^{\prime} \mathbf{x}\left(\mathbf{y}^{\prime} \mathbf{z}+\mathbf{y z}\right)+\mathbf{w y z}$ <br> (K-map grouping - 2 marks simplification-2 marks) <br> (Note: one minterm appears is the don'tcare also. The solution below is for both- with and without the don't care minterm included. <br> Solution:- $w^{\prime} x^{\prime}+y z+x z^{\prime}$ <br> Solution:- $w^{\prime} x^{\prime}+x$ ' $z^{\prime}$ | (4) |
|  | b) | Represent the following decimal numbers in signed 2's complement 8-bit numbers: i) +43 ii) -19 <br> (i) $+43-1$ mark ii) $-19-2$ marks) <br> (i) $+43=00101011$ <br> ii) $-19=$ <br> Binary equivalent of $19=00010011$ <br> I's complement $=11101100$ <br> 2's complement $=11101101$ | (3) |
|  | c) | Convert the decimal number $3.248 \times 104$ to IEEE 754 standard single precision floating point binary number. <br> (IEEE 754 format- 2 mark Any other valid format-1 mark.) <br> Single Precision frame format (32 bit) | (2) |







|  |  | Clock $Q_{0}$ $Q_{1}$ $Q_{2}$ $Q_{3}$ <br> $\rightarrow 0$ 0 0 0 0 <br> 1 1 0 0 0 <br> 2 1 1 0 0 <br> 3 1 1 1 0 <br> 4 1 1 1 1 <br> 5 0 1 1 1 <br> 6 0 0 1 1 <br> 7 0 0 0 1 |  |
| :---: | :---: | :---: | :---: |
|  | b) | Compare Ring counter and Johnson counter. <br> (Any 2 differences- 1 mark each) | (2) |
| 16 | a) | Explain the working of 3-bit Universal Shift Register. (Working of 3-bit Universal Shift Register-4 marks. Diagram- 4 marks) $\mathrm{N}=\mathrm{n}$ - | (8) |


|  | b) | Parallel Output Bits <br> $N=3$ In diagram 3 fliflops are only required. <br> Function table <br> Give 2 applications of shift register. <br> (Any 2 applications of shift register- 1 mark each) <br> 1. Time Delays <br> 2. Serial /Parallel data conversion <br> 3. Ring counter <br> 4. Johnson Counter <br> 5. Universal asynchronous receiver transmitter (UART) <br> 6. Adder | (2) |
| :---: | :---: | :---: | :---: |
| 17 | a) | Design a combinational circuit using ROM that accepts a 3-bit binary number and generates output equal to the square of the input number. Use decoder of suitable size to implement ROM. (Truth table - 3 marks Rom using decoder - 4 marks) | (7) |


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|  | b) | What size of ROM would it take to implement <br> i. A BCD adder/subtractor with a control input to select between the addition and subtraction. <br> ii. A binary multiplier that multiplies two 4-bit numbers. <br> iii. Dual 4 -line to 1 -line multiplexers with common selection inputs. <br> (1 mark each) <br> i)1024 $\times 5$ <br> ii)256 $x 8$ <br> iii) $1024 \times 2$ | (3) |
| 18 | a) | Design a synchronous counter using JK flip-flops to count the sequence $\mathbf{0 , 5 , 6 , 7 , 3 , 2}$ and then repeats. <br> (State table - 2 marks Design using K-map- 6 marks Diagram- 2 marks) | (10) |






